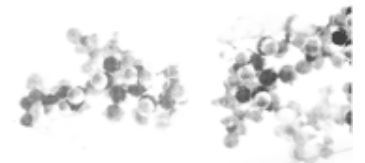




# Nanoparticle Analysis: Dynamic Light Scattering for Particle Size Determination



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# What is Dynamic Light Scattering?

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- Dynamic light scattering refers to measurement and interpretation of light scattering data on a microsecond time scale.
- Dynamic light scattering can be used to determine
  - Particle/molecular size
  - Size distribution
  - Relaxations in complex fluids

# Other Light Scattering Techniques

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- **Static Light Scattering:** over a duration of ~1 second. Used for determining particle size (diameters greater than 10 nm), polymer molecular weight, 2<sup>nd</sup> virial coefficient,  $R_g$ .
- **Electrophoretic Light Scattering:** use Doppler shift in scattered light to probe motion of particles due to an applied electric field. Used for determining electrophoretic mobility, zeta potential.

# Particle Diameter ( $\mu\text{m}$ )

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0.001

0.01

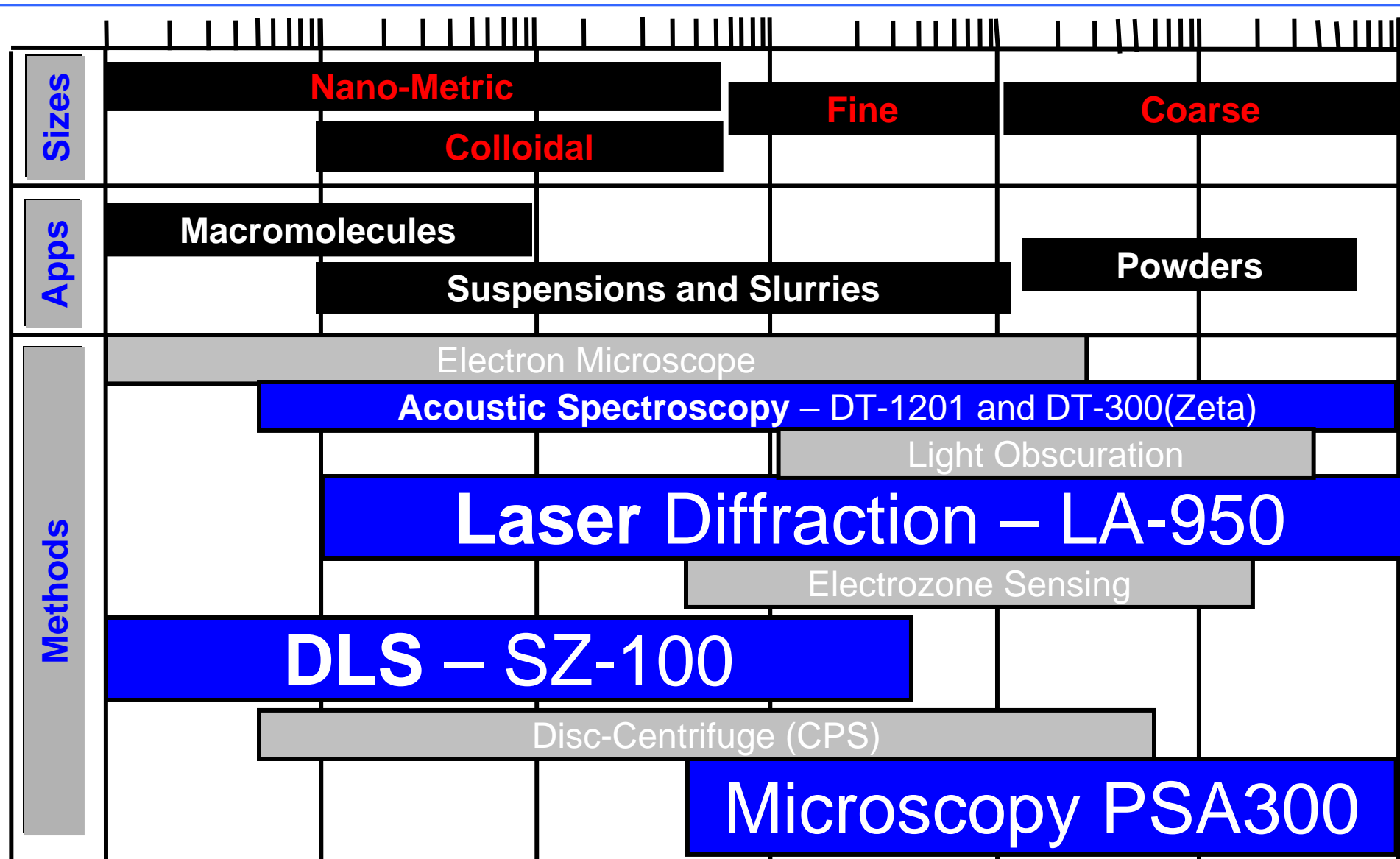
0.1

1

10

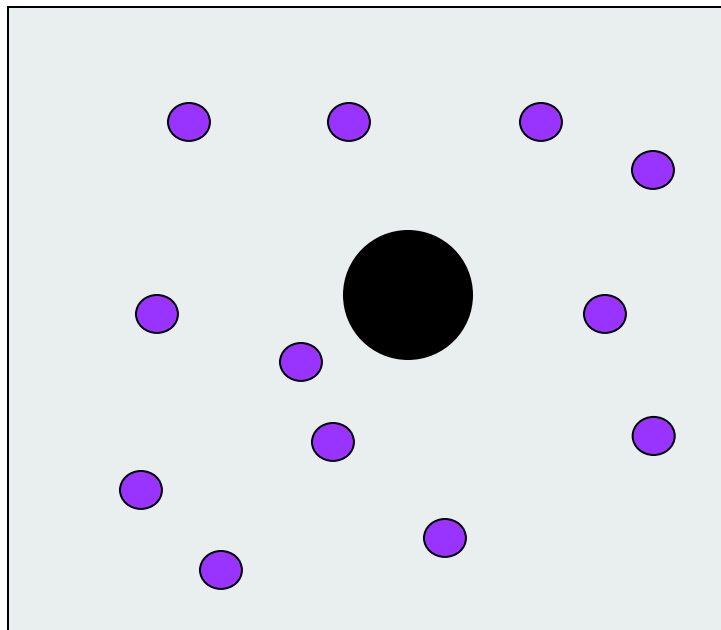
100

1000



# Brownian Motion

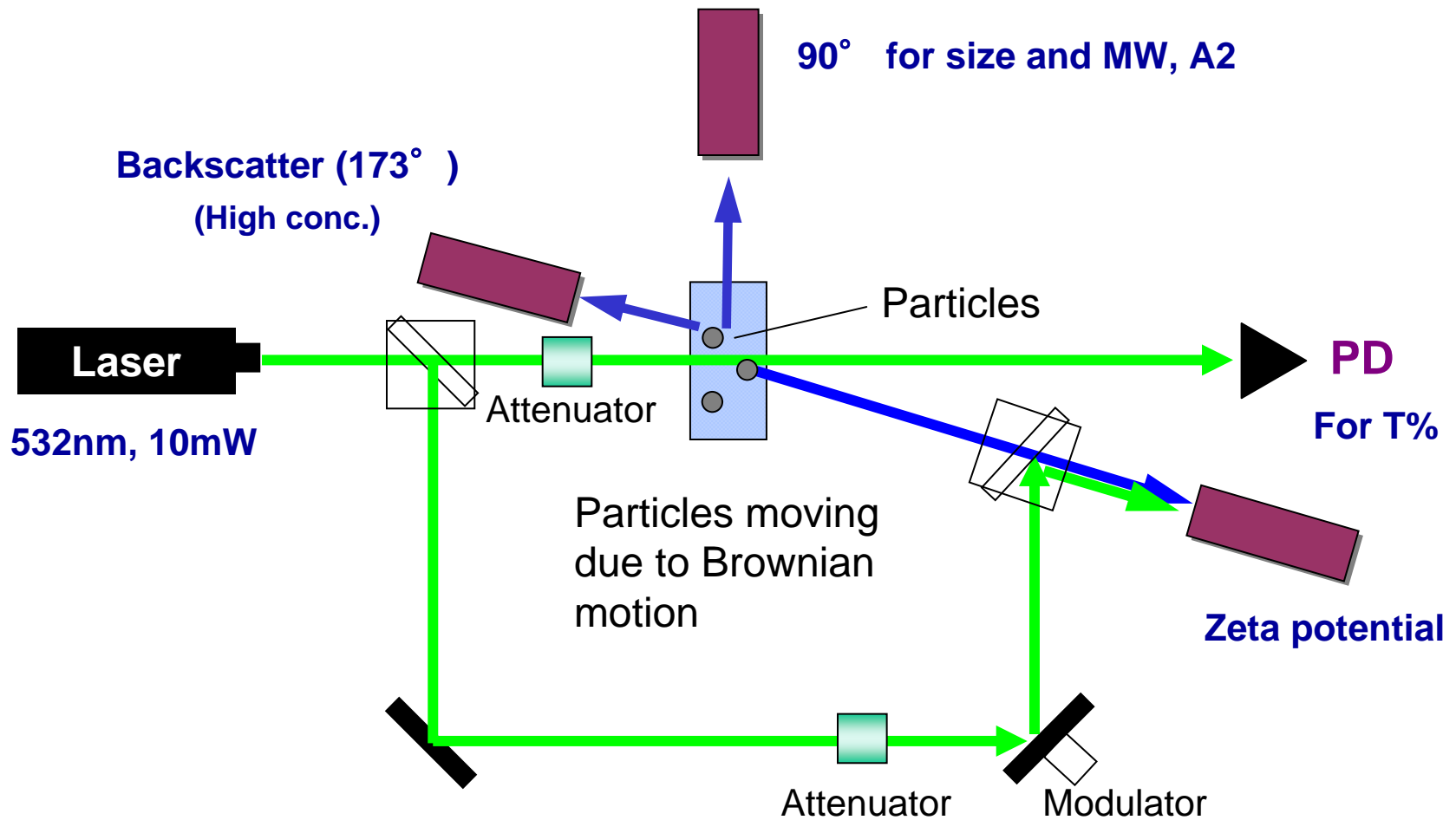
Particles in suspension undergo **Brownian motion** due to solvent molecule bombardment in random thermal motion.



## ■ Brownian Motion

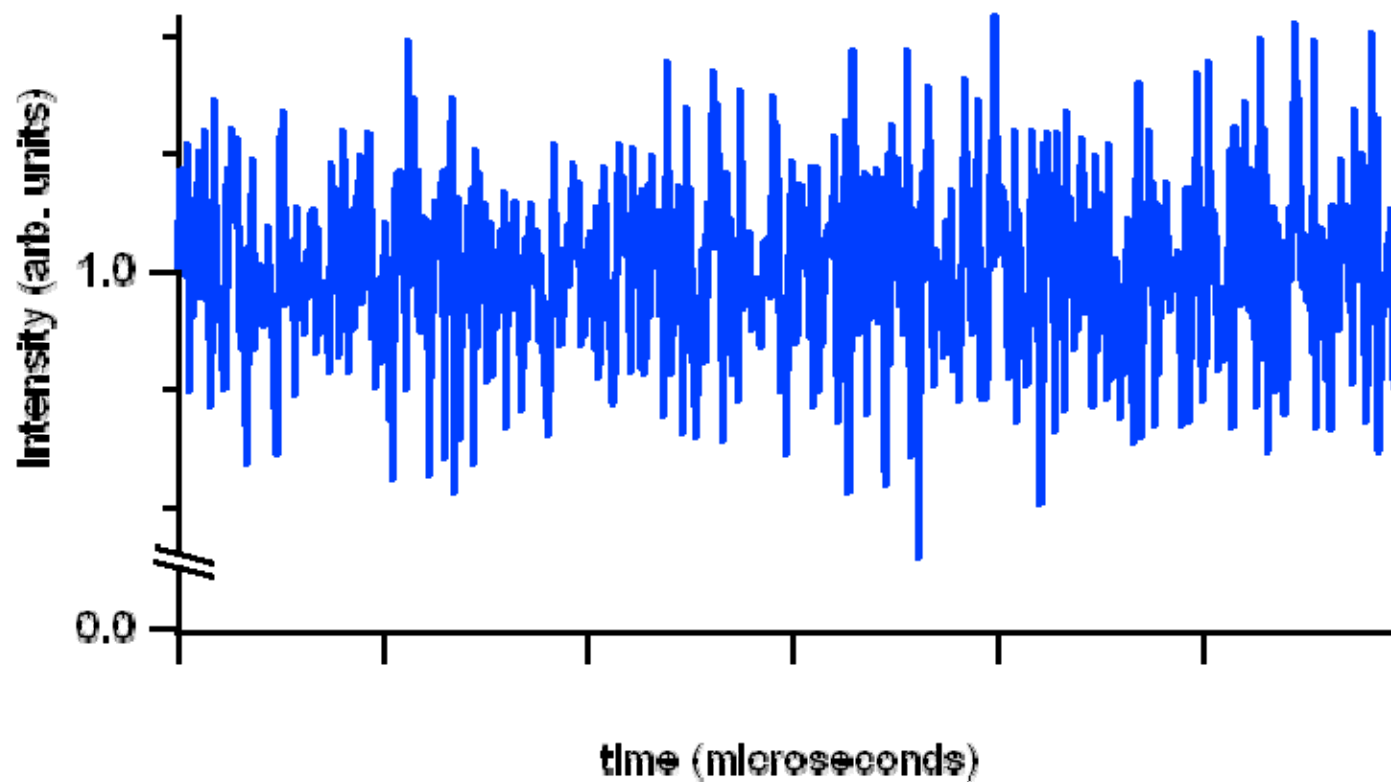
- Random
- Related to Size
- Related to viscosity
- Related to temperature

# DLS Optics



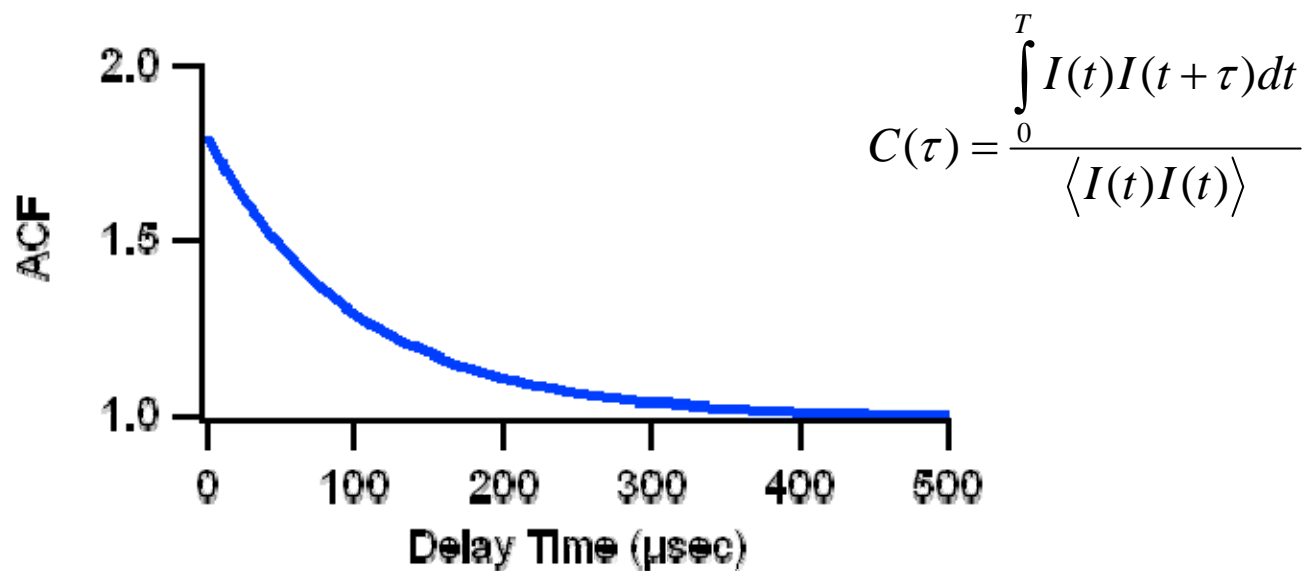
# DLS signal

- Random motion of particles leads to random fluctuations in signal (due to changing constructive/destructive interference of scattered light).



# Correlation Function

- Random fluctuations are interpreted in terms of the autocorrelation function (ACF).



$$C(\tau) = 1 + \beta \exp(-2\Gamma \tau)$$



# Gamma to Size

$$\Gamma = D_m q^2$$

$$q = \frac{4\pi n}{\lambda} \sin\left(\frac{\theta}{2}\right)$$

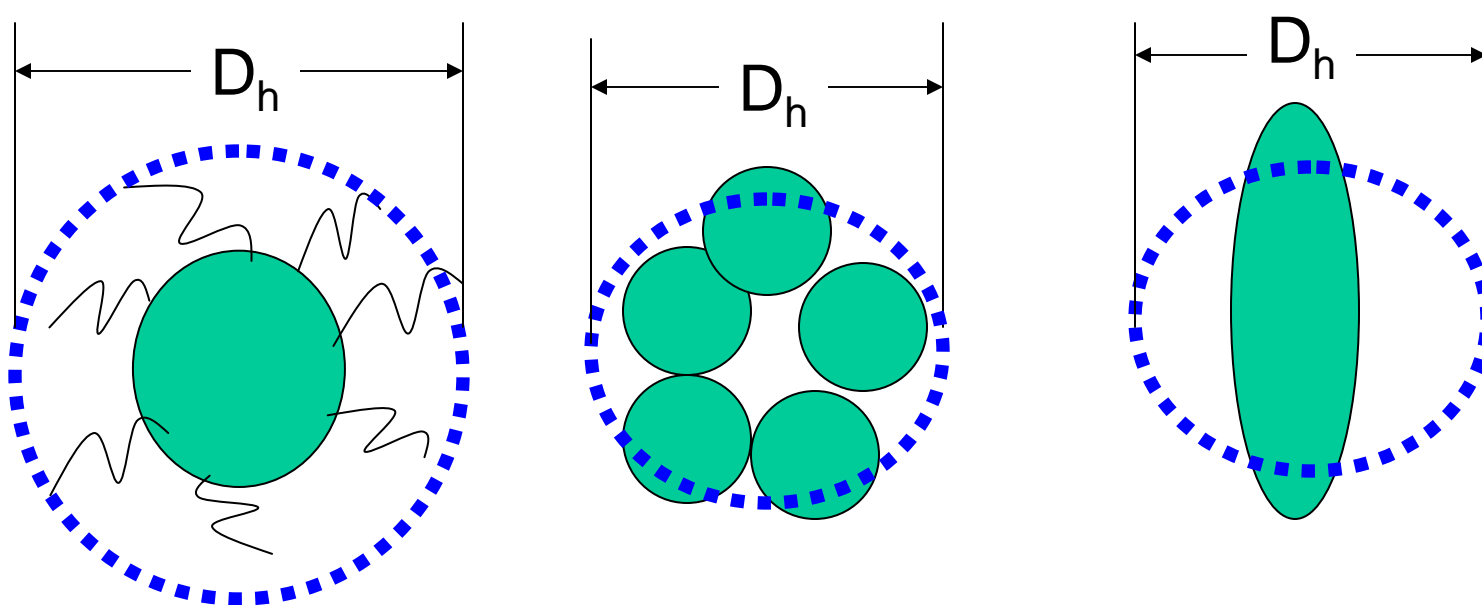
$$D_h = \frac{k_B T}{3\pi\eta(T)D_m}$$

$\Gamma$  decay constant  
 $D_m$  diffusion coefficient  
 $q$  scattering vector  
 $n$  refractive index  
 $\lambda$  wavelength  
 $\theta$  scattering angle  
 $D_h$  hydrodynamic diameter  
 $\eta$  viscosity  
 $k_B$  Boltzmann's constant

Note effect of temperature!

# What is Hydrodynamic Size?

- DLS gives the diameter of a sphere that moves (diffuses) the same way as your sample.

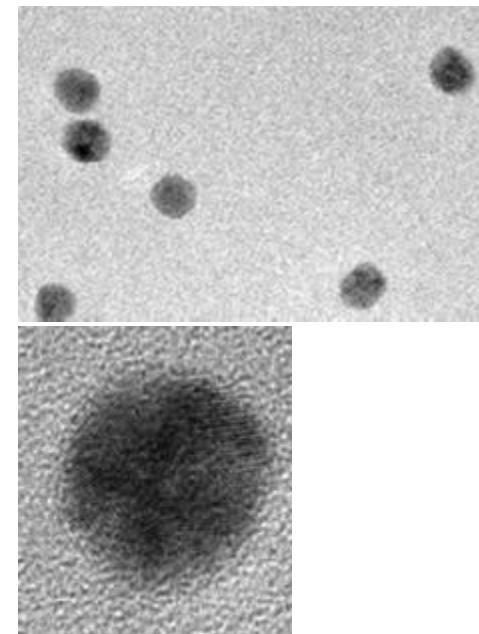


# Hydrodynamic Size

- The instrument reports the size of sphere that moves (diffuses) like your particle.
- This size will include any stabilizers bound to the molecule (even if they are not seen by TEM).

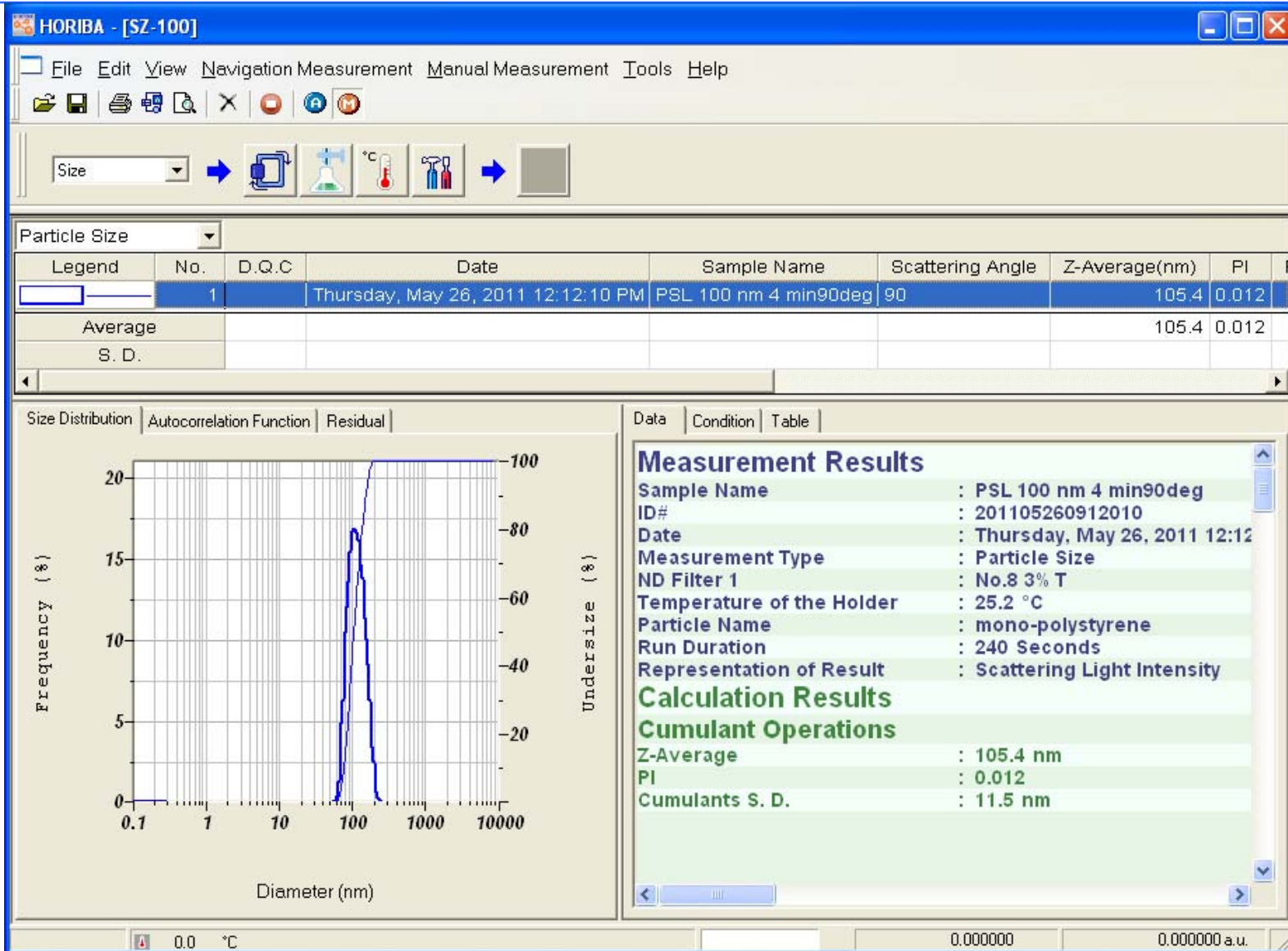
## Gold Colloids

Technique	Size nm
Atomic Force Microscopy	8.5 ± 0.3
Scanning Electron Microscopy	9.9 ± 0.1
Transmission Electron Microscopy	8.9 ± 0.1
Dynamic Light Scattering	13.5 ± 0.1



SEM (above) and TEM (below) images for RM 8011

# Polystyrene Latex Sample



# Polydisperse Sample Cumulants

- For a mixture of sizes, the autocorrelation function can be interpreted in terms of cumulants. This is the most robust method of analyzing DLS data.

$$C(\tau) = 1 + \beta \exp \left[ 2 \left( -\bar{\Gamma} \tau + \frac{\mu_2}{2!} - \Lambda \right) \right]$$

$$\bar{\Gamma} = \overline{D_m} q^2$$

“z-average size”

$$D_{z,h} = \frac{k_B T}{3\pi\eta(T) \overline{D_m}}$$

$$Polydispersity = \frac{\mu_2}{\bar{\Gamma}^2}$$

# SiO<sub>2</sub>

Run	Z-average Diameter (nm)	Polydispersity Index
1	473.2	0.127
2	479.5	0.066
3	478.8	0.077
4	487.7	0.039
Avg.	479.8	0.077

# Polydisperse Sample (ILT)

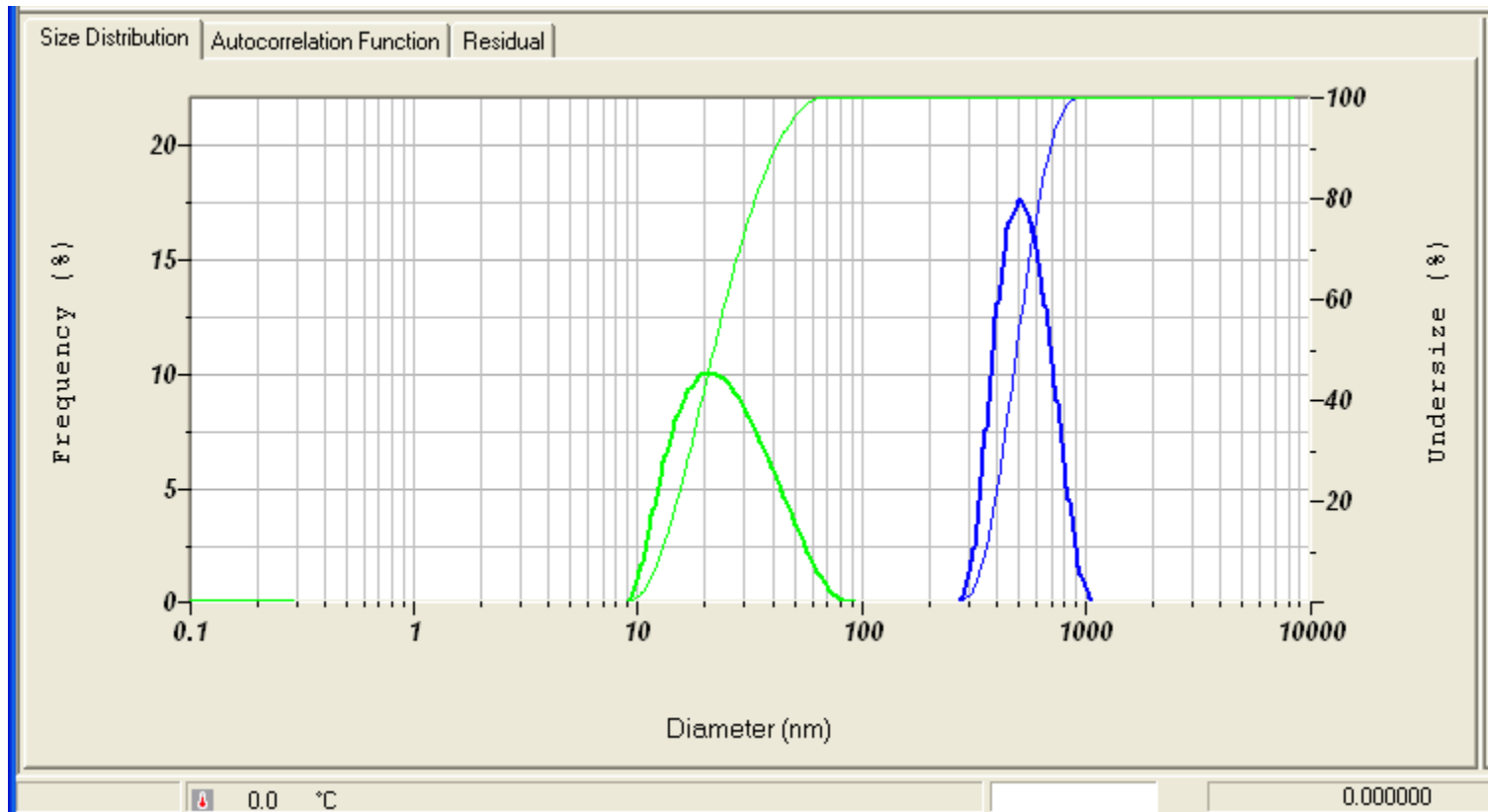
- A more general relationship can be given between the autocorrelation function and the size distribution. Let each size have a relation constant  $\Gamma$ . The scattering from each population is then given by  $S(\Gamma)$ . Now we have an integral equation. Solving for  $S(\Gamma)$  gives us size distribution.

$$C(\tau) = 1 + \beta \left| g^{(1)}(\tau) \right|^2$$

$$g^{(1)}(\tau) = \int S(\Gamma) \exp(-\Gamma \tau) d\Gamma$$

# Bimodal Sample

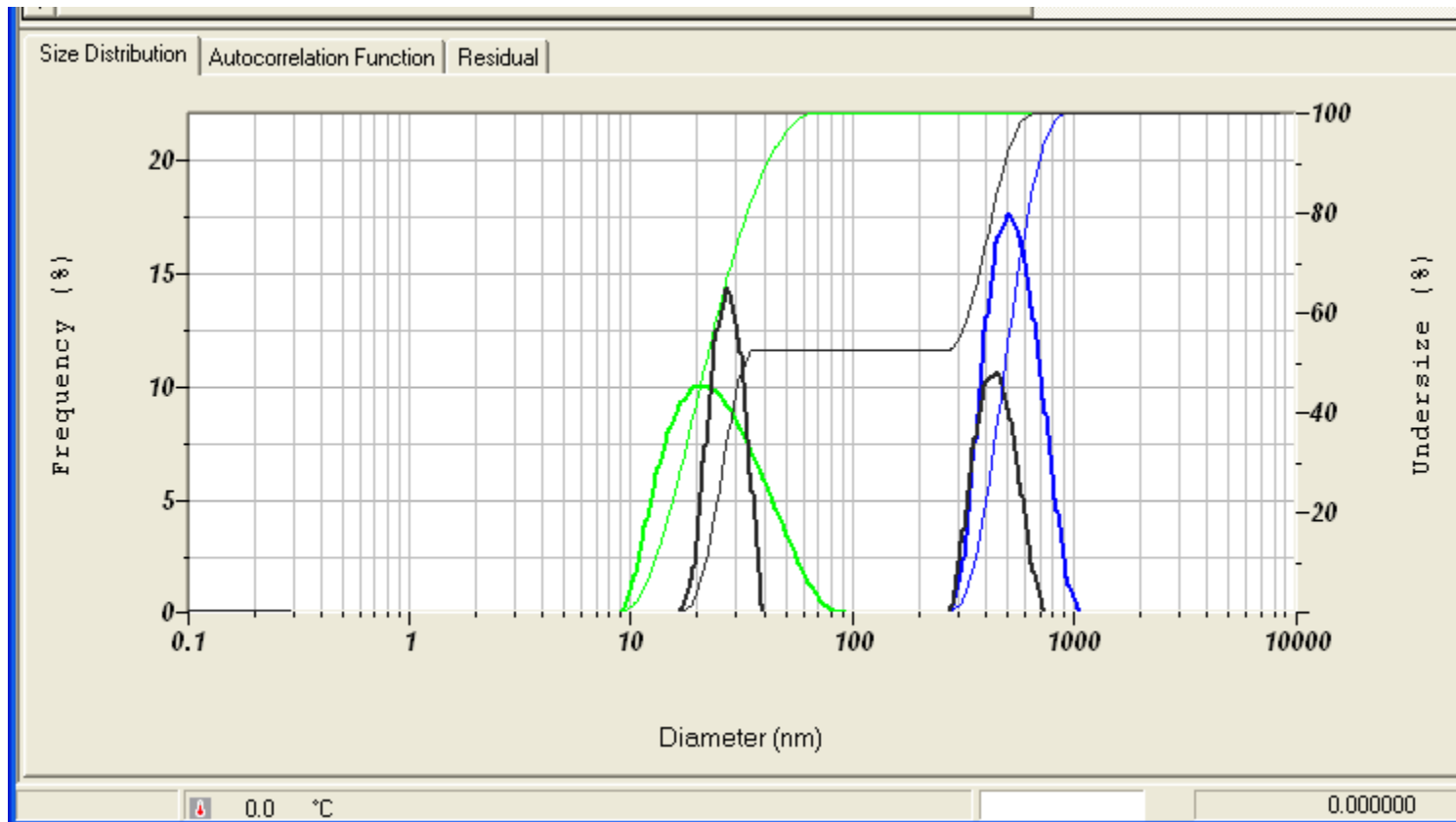
- Nominal 20 nm and 500 nm latex run individually





# Bimodal Sample

- Mixed sample (in black)





# Dynamic Light Scattering Practical Tips



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# Dust

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- Dust: large, rare particles in the sample
- Generally not really part of the sample
- Since they are rare cannot get good statistics

# Filtering

- Filter to remove **dust**. If particles are too large ( $D > 50 \text{ nm}$  for  $0.1 \text{ }\mu\text{m}$  filter), at least filter diluent.
- Filters available in sizes  $20\text{nm}$  to  $2\mu\text{m}$
- We **can also centrifuge** the sample and extract the supernatant.



# Settling and DLS

Particle Diameter (μm)	Movement due to Brownian Motion		Movement due to Gravitational Settling
0.01	2.36	>>	0.005
0.25	1.49	>	0.0346
0.50	1.052	>	0.1384
<b>1.0</b>	<b>0.745</b>	~	<b>0.554</b>
2.5	0.334	<	13.84
10.0	0.236	<<	55.4

The Natural limit for Dynamic Light Scattering:  
Gravitational Settling

**Gravitational Settling occurs at about 1-3μm**

# Why DLS?

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- Non-invasive measurement
- Requires only small quantities of sample
- Good for detecting trace amounts of aggregate
- Good technique for macro-molecular sizing

# New Nanoparticle Analyzer

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- Single compact unit that performs size, zeta potential, and molecular weight measurements.



# Q&A

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Ask a question at [labinfo@horiba.com](mailto:labinfo@horiba.com)

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# Thank-you